## Name:

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ID\#:
Enrolled Discussion (circle one): M-10am M-11am M-7pm F-10am F-11am F-12pm
MAE10
Final Examination Winter Quarter 2010

Instructions: You have 120 minutes to complete the exam. Notes on two sides of an 8.5 ' x 11 '" sheet of paper are allowed. Closed book. No calculators or electronic devices of any kind.

Section 1: Short answer. (2 points each)
(1.1) How many rows and columns are in the arrays $w$ and $z$ ?
$x=(-1: 2: 3)$;
$y=(3:-2:-1) ;$
$\mathrm{w}=[\mathrm{x}, \mathrm{y}]$;
$z=[x ; y] ;$
(1.2) How many data lines will be plotted on the figure generated by the following code?
$t=(0: 1: 10)$;
$\mathrm{x}=\mathrm{t} . \wedge^{\wedge}$ 2;
$y=x . \wedge 2$;
plot(t,x,y,x,t,t);
(1.3) What value(s) are stored in $y$ ?
array $=[1,3,5,6$; 8, 9, 10, 11 ];
$\mathrm{y}=$ numel( array );
(1.4) What value(s) are stored in $x$ and $y$ ?

```
array = [ 1, 3, 5, 6 ; 8, 9, 10, 11 ];
```

[ x , y ] = size( array );
(1.5) What value(s) are stored in y ?

$$
\begin{aligned}
& \mathrm{x}=[1,3,4,-2,-1] ; \\
& \mathrm{y}=\operatorname{find}(\mathrm{x}>=3) ;
\end{aligned}
$$

Section 2: Identify and briefly explain any and all errors that would prevent the code from executing in the following MATLAB programs. Warnings and "bad programming" are not considered errors - those would not prevent the code from running. If you believe there are no errors, write "OKAY". (3 points each)
(2.1)

```
x = ( 2 : -1.5 : -1 );
y = ( 6 : 2 : 12 );
w = x + y;
x(2) > x(3) & y(1) ~= y(2);
```

(2.2) cheese = 'mouse';

```
goose = 'rat';
```

mouse = 'goose';
couscous = 'house';
moose $=$ [ cheese(1:1) , goose(2:5) ] ;
fprintf('mouse is \%s' , couscous)
(2.3) $x=[2: 2: 10 ;-1: 1: 3]$;
$a=\min (x(1,:))$;
$\mathrm{b}=\max (\mathrm{x}(2,:) \mathrm{f})$;
if( $\mathrm{a}>=\mathrm{b}$ )
disp(a)
else
disp (b+a)
if( $x(2,2) \sim=x(1,1) \& x(1,1)>x(1,1))$
disp (b)
if ( a ~= b )
disp (a*b)
end
end
end
(2.4)

```
x = [ 1, 5, 7, 8 ; 9, 1, -1, 2 ] ;
y = [ 2, 4, 6, 8, 10 ] ;
for k = 1:4
    w(k) = x (2,k) + y (k) ;
    for m = k:4
            h(m) = h(m) + w(k) ;
    end
end
fprintf( '%7.2f %3i' , h )
```

(2.5) $y=[2,4,6,8,10]$; $\mathrm{k}=2$;
while( y(k) <= 6 ) disp( y(k) ) $\mathrm{k}=\mathrm{k}+1$;
end
(2.6) animal $=$ 'moose';
switch (animal)
case\{ 'MOOSE' , 'MoOsE' \} disp(animal)
case\{ 'goose , horse' \} disp( 'goose or horse' )
case\{ 'hoof' , 'antlers' \} disp('moo')
end
(2.7) $t=(0: 0.1: 1) ;$
$x=t . \wedge 2$
$y=t-1$
$z=t . \wedge 2$
subplot $(2,1,3)$
plot(y,x)
subplot (2,1,2)
plot(t,t)
xlabel('The y-axis')
subplot (2,1,1)
plot(x,y)
grid on

For problems (2.8) through (2.10), I provide a function and the "main" program that calls the function, each stored in a different M-File. Assume both M-Files are in the same directory. Errors may exist in either or both programs.

## (2.8)

In the "main" program:

```
a = 3.3;
b = 4.4;
[c , d] = banana(a , b)
fprintf('a and b are %5.2f and %5.2f', a, b)
```

In the $m$-file containing the function banana:

```
function [ result ] = banana(b , a)
a = b
b = a
result = b + a
end
```


## (2.9)

In the "main" program:

```
a = 3.3;
b = 4.4;
answer = gorilla(a , b)
fprintf('answer is %7.2f' , answer)
fprintf('c and d are %7.2f %7.2f' , c , d)
```

In the $m$-file containing the function gorilla:

```
function [ result ] = gorilla(c , d)
c = 100;
d = 1000;
result = c + d;
end
```

Section 3: Write the exact output that will be produced by each of the following programs. Assume that there are no errors. Clearly distinguish answers from any scratch work and indicate which line of code each answer corresponds to. If you are given specific formatting instructions, you must use underscores to indicate any and all blank spaces (one underscore per blank space). In addition, carriage returns (newline) should be clear. (4 points each)

```
a = [ 1, 3, 5, 7 ];
b = [ 5, 7, 8, 9 ];
c = [ a ; b ]' ;
c = c(2:3 , 1:2);
fprintf( '%3i\n' , c )
```

```
a = [ 12, 2, -2, 1, 0 ];
b = (a(2)^a(5)+a(2)/a(3)-a(1))/a(2)+a(1);
c = a(5)-a(3)/a(2)-a(1)^a(5);
d = 2;
for i = 1:numel(a)
    d = d + a(i)^a( -2*a(3) );
end
fprintf( '%6.1f\n' , b, c, d)
```

(3.3)

```
a = ( 1 : 3 : 101 );
k = 1;
while(k<5)
    fprintf( '%7.2f%5.2f\n',a(1:k))
k = k + 2;
end
```

(3.4) cheese $=$ 'swiss';

```
    a = [ 99, 98, 97, 96, 95 ];
    switch cheese
    case {'SWISS' , 'cheese'}
        disp( cheese(2:5) )
        fprintf( '%5i' , a(3:5) )
    case {'cheddar' , 'swiss'}
        disp( cheese(1:4) )
        fprintf( '%3i' , a(1:3) )
    case {'swiss'}
        disp( cheese(1:5) )
        fprintf( '%3i' , a(1:5) )
    otherwise
        disp( cheese )
        fprintf( '%3i' , a(2:3) )
    end
```

(3.5) for col = 1:2
for row = 1:3
b(col,row) = col + row;
end
end
fprintf( '\%5i\%4i\n' , b )
(3.6) $a=(1: 4)$;
$\mathrm{b}=\mathrm{a} * 2$;
$\mathrm{c}=\mathrm{b} * 2$;
if( c(2) <a(4) | c(2) == a(4) )
$a=a+1 ;$
if( c(1) <= b(2) \& c(2) > a(4) )
fprintf('Hello world\n')
$a=a+1 ;$
elseif( c(1) > a(2) | c(3) > 9 )
fprintf('Hola mundo\n')
b = b - 1;
else
$c=c * 2 ;$
end
else
b = b*2;
if( $\mathrm{c}(1)==\mathrm{b}(1)$ )
fprintf('Hallo Welt\n')
c = c - 1;
elseif( c(4)/a(1) > 3 )
fprintf('Howdy Mundo\n')
a $=a+3 ;$
end
end
fprintf( '\%2i\%3i\n' , a , c )

For problems (3.7) through (3.10), I provide a function program and the "main" program that calls the function. Assume both programs are in the same directory.

## (3.7)

In the "main" program:

```
a = (10:2:15);
b = (11:2:15);
fprintf( '%3i%3i\n' , a(2:3) )
fprintf( '%3i%3i\n' , b(1:2) )
[ b , a ] = funcl( a , b );
fprintf( '%3i%3i\n' , a(2:3) )
fprintf( '%3i%3i\n', b(1:2) )
```

In the $m$-file containing the function funcl:

```
function [ a , b ] = funcl( b , a )
temp = a;
a = b;
b = a;
end
```

(3.8)

In the "main" program:

```
a = (1:1:3);
b = (2:2:6);
table1 = [ a ; b ];
fprintf( '%2i%2i\n' , table1 )
[ x , y ] = func2( a , b );
table2 = [ x ; y ];
fprintf( '%2i%2i\n' , table2 )
```

In the $m$-file containing the function func2:

```
function [ a , b ] = func2 ( x , y )
for i = 1:2
    a(i) = y(i);
    b(i) = x(i+1);
end
end
```


## (3.9)

In the "main" program:

```
a = 4.5;
b = 2.5;
c = f4(b) / f3( a , b );
d = f4(a) * f4(a);
fprintf('%6.1f' , c , d , f4(a) )
```

In the $m$-file containing the function $f 3$ :

```
function [ output ] = f3 ( x , y )
output = x + y;
output = output - 3;
return
output = output/2;
end
```

In the m -file containing the function $f 4$ :

```
function [ output ] = f4 ( x )
output = 1;
for i=1:2
    output = output + x;
end
end
```


## (3.10)

In the "main" program:

```
a = 2;
b = 3;
c = f5 (a,b) + f6(b,a);
fprintf('%3i\n' , c)
```

In the $m$-file containing the function f 5 :

```
function [x] = f5 (x,y)
a = x + y;
b = x - y;
x = f6(a,b) + f6(b,a);
fprintf('%3i%3i\n' , a , b)
end
```

In the m -file containing the function f :

```
function [x] = f6(x,y)
a = x*y;
b = x + a;
x = b + a;
fprintf('%3i%3i\n' , a , b)
end
```

Section 4: Write a MATLAB program to solve each of the following problems. You do not have to write the output of the code.
(4.1) You are provided with a data file called "medal.txt" containing the Olympic medal count for 100 nations. ( 7 points )

| In "medal.txt" |  |  |  |  |
| :--- | :---: | :---: | :--- | :--- |
| 1 | 5 | 7 |  |  |
| 2 | 4 | 0 |  |  |
| 5 | 1 | 0 |  |  |
| $\ldots$ | <rows | $4-98$ | not shown> | $\ldots$ |
| 2 | 9 | 0 |  |  |

Each row contains information about the number of gold, silver, and bronze medals won by each nation. The first column is the number of gold medals, the second column is the number of silver medals, and the third column is the number of bronze medals. For example, nation \#2 won two gold medals, four silver medals, and zero bronze medals.

Create a program that will read the data from "medal.txt" and store it in an array. Then find out the following information and display the answers to the screen:
(1) Which nation (1-100) had the highest number of gold medals?
(2) Which nation $(1-100)$ had the highest number of silver medals?
(3) Which nation (1-100) had the highest number of bronze medals?
(4) Which nation (1-100) had the highest total number of medals?
(4.2) The expressions for $x, y$, and $z$ are as follows:

$$
\begin{aligned}
& x=t^{2}+2 \\
& y=t-1 \\
& z=x * y
\end{aligned}
$$

Create a program that calculates $\mathrm{x}, \mathrm{y}$, and z from $\mathrm{t}=0$ seconds to $\mathrm{t}=10$ seconds in increments of 0.1 seconds. Plot the following information on three separate subplots. (4 points)
(1) In the upper right section of the plotting window, plot $x$ versus $t$.
(2) In the center section of the plotting window, plot $y$ versus $x$.
(3) In the center right section of the plotting window, plot $z$ versus $y$.

| x versus t |  |  |
| :---: | :---: | :---: |
|  | y versus x | z versus y |
|  |  |  |

(4.3) A program calls a function named switchrow:

$$
A=\operatorname{switchrow}(A, M, N)
$$

Create a function named switchrow that exchanges the first and last rows of a MxN array (called A). For example, if the array A is,

4581
0367
2351
0009
Then the function will create an array with the following elements,
0009
0367
2351
4581
Make your function general for any MxN array. You cannot use any of MATLAB's built-in functions for this problem except functions that determine the number of elements in an array. ( 5 points)
(4.4) A program calls a function named remainder:

```
remain = remainder(x,y)
```

Create a function named remainder that will calculate the remainder of the variable $x$ divided by the variable y. You cannot use MATLAB's built-in function rem( ) for this problem. (4 points)
(4.5) A program calls a function named sortscores:
sortedscores $=$ sortnums (scores)
Create a function named sortnums that takes as input a 1 xN array called scores, which contains test scores from a class. This function returns as output a 1 xN array called sorted, which contains the same scores sorted from lowest to highest. For example, if scores contains the values [84.5, 90.1, $56.0,92.9,77.0]$, then sortedscores should contain the values [56.0, 77.0, 84.5, 90.1, 92.9]. Make your function general for any size array. You may assume that all the scores are unique (there aren't duplicate numbers).

You cannot use any of MATLAB's built-in functions except those functions that determine the number of elements in an array. (7 points)

